

**Correct-by-Construction
Asynchronous,
Byzantine fault tolerant,
Binary Casper
Consensus Protocol**

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Consensus: Background Knowledge

- What is a Consensus Protocol?**
- What is Having Consensus?**
- What are safety and liveness?**
 - What are Asynchronous Networks?**
- What are Byzantine faults?**

A world map with glowing yellow nodes and lines representing a network. A large, semi-transparent diamond shape is overlaid on the map, centered over the Atlantic Ocean. The text is overlaid on the map.

What are Consensus Protocols?

Consensus protocols are used to guarantee that (protocol-following) nodes make the same decisions



What is having consensus?

Having consensus is having the protocol in a state that guarantees that...

All protocol-following nodes will make the same decision!

What is safety?

Safety is the property that all protocol-following nodes make the same decision, if/when they do make a decision

What is liveness?

Liveness is the property that all protocol-following nodes are *guaranteed to eventually* make a decision.

A world map with a glowing network overlay, showing a dense web of connections across the continents. A large, semi-transparent blue diamond shape is overlaid on the map, centered over the Atlantic Ocean. The text is overlaid on the map.

What is an asynchronous network?

The protocol has no assumptions about the reliability of the network.

A world map with a glowing network overlay, showing connections between various points across the globe. A large, semi-transparent blue diamond shape is centered over the map. The text is overlaid on this background.

What is an asynchronous network?

Communications can arrive in any (causally consistent) order!

(Usually we do assume that they /eventually/ arrive.)

Asynchronous consensus is difficult!

The FLP impossibility theorem shows us that:

It's impossible to be live and safe in an asynchronous network (if communications can fail).

What is a Byzantine fault?

Any node that is not protocol-following is called “Byzantine.”

Byzantine nodes have arbitrary behaviour!

Byzantine Fault Tolerant Consensus is also Difficult!

Well known results:

Consensus safety can't tolerate $1/3$ Byzantine faults (or more) in asynchronous networks

Consensus safety can't tolerate at most $1/2$ Byzantine faults (or more) in synchronous networks



Correct-by-Construction Binary, Asynchronous Casper



- **Approach Outline**

- **Data structures**

- **Definitions**

- **Correct-by-construction
(safe) binary decisions**

Preface to Approach Outline

Introducing *estimates*,
the predecessors of *decisions*

Estimates are
“non-finalized decisions” or
“decision proposals”

Preface to Approach Outline

**Blockchains traditionally
make estimates rather than
decisions.**

**Only blockchains with
“finality” make decisions.**

Approach Outline

- **Define safety of estimates**
- **Construct an ideal adversary who will not be able to induce nodes to change their estimates if they are safe**
- **Decide on an estimate when the ideal adversary fails to produce an attack on that estimate (in that view)**

Approach Motivation

Determining the safety of decisions is hard because it's defined with respect to the decisions of *other* correct nodes

Approach Motivation

(Required) Result:

If two nodes calculate that they have safe estimates... they must have the same estimate!

Approach Motivation

This result guarantees that our decision rule (decide on an estimate when the estimate is safe) is safe by construction!!!



Data structures: Bets

Bets are a triple:

(estimate, justification, sender)

$$\mathbf{B} = \{0,1\} \times \mathbf{P}(\mathbf{B}) \times \mathbf{V}$$

or

$$\mathbf{B} = \{0,1\} \times \{\} \times \mathbf{V}$$

Data structures: Validators

Validators are
a fixed subset of the names in V

Validators “have weights”
in $(0, \text{infinity})$

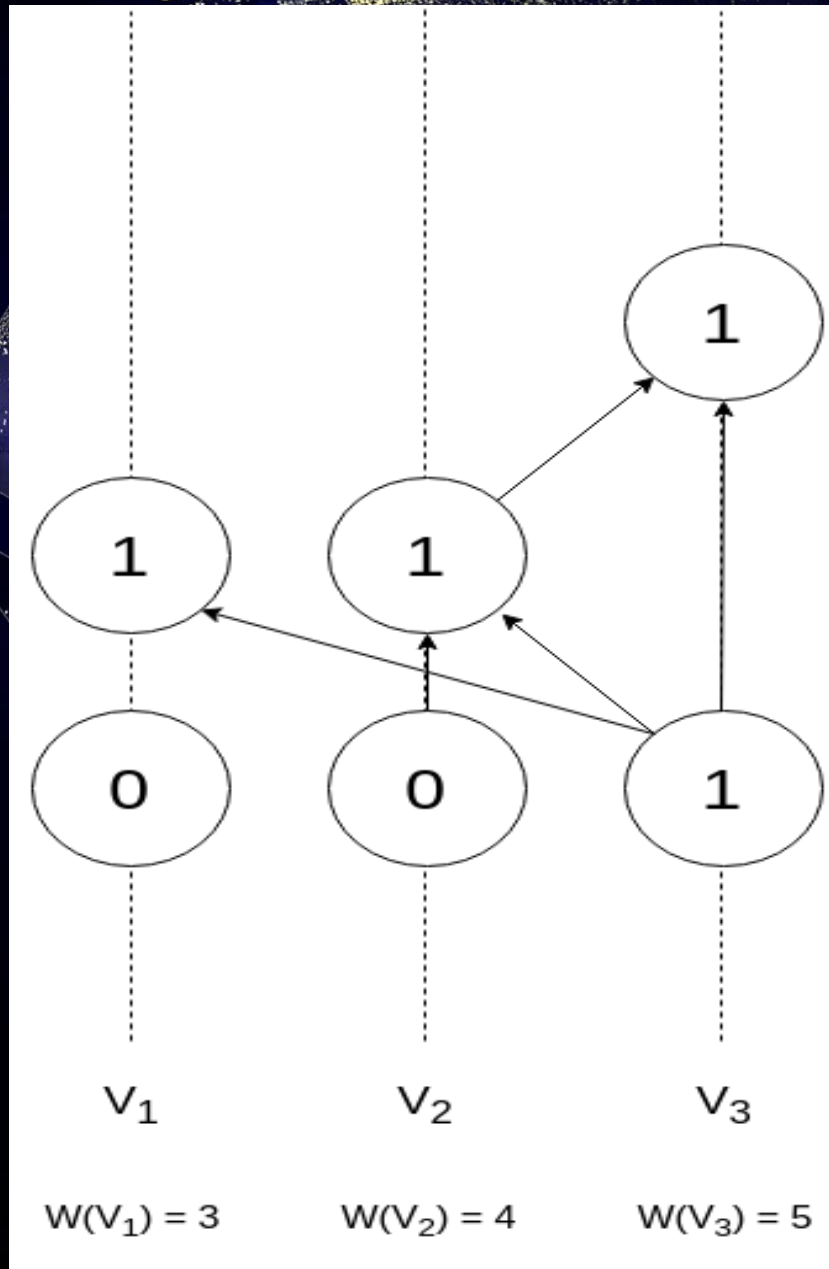
The weights have the
“tie-breaking property”

Data structures: Views

Views are sets of bets:

$$U = P(B)$$

Data structures



Definitions: Dependency

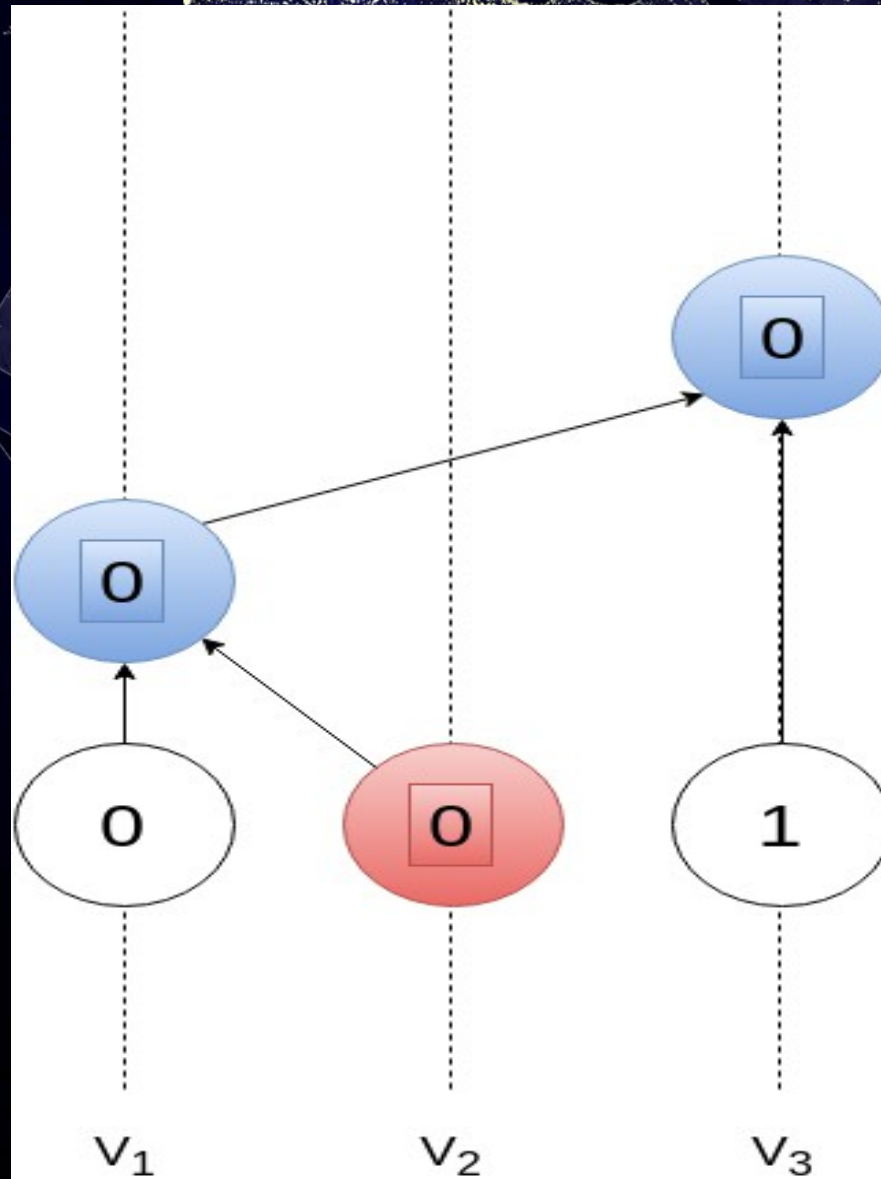
bet A is a dependency of bet B if:

A is in justification(B)

OR

A is a dependency of
C in justification(B)

Definitions: Dependency



Definitions: Equivocation

bits A and B are an equivocation if:

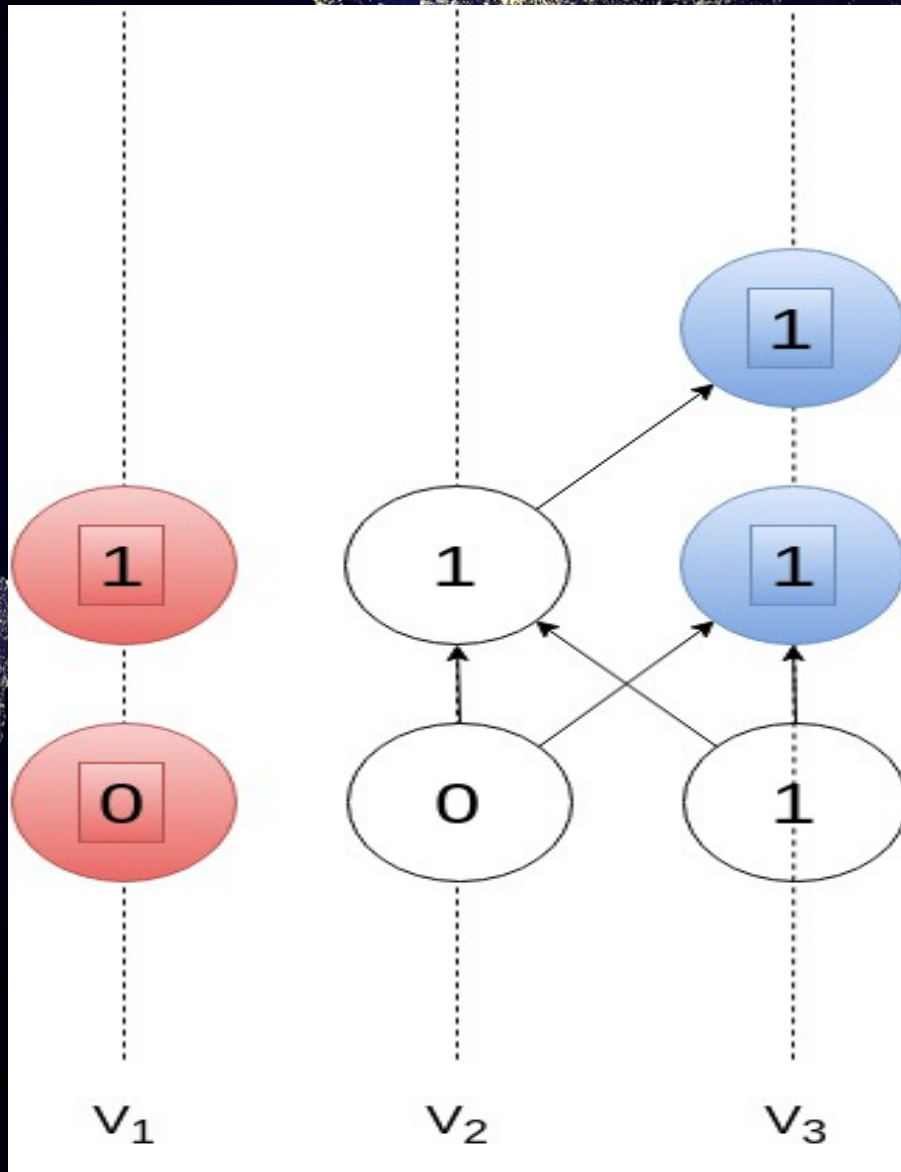
$A.sender = B.sender$

$A \neq B$

A not dependency of B

B not dependency of A

Definitions: Equivocation

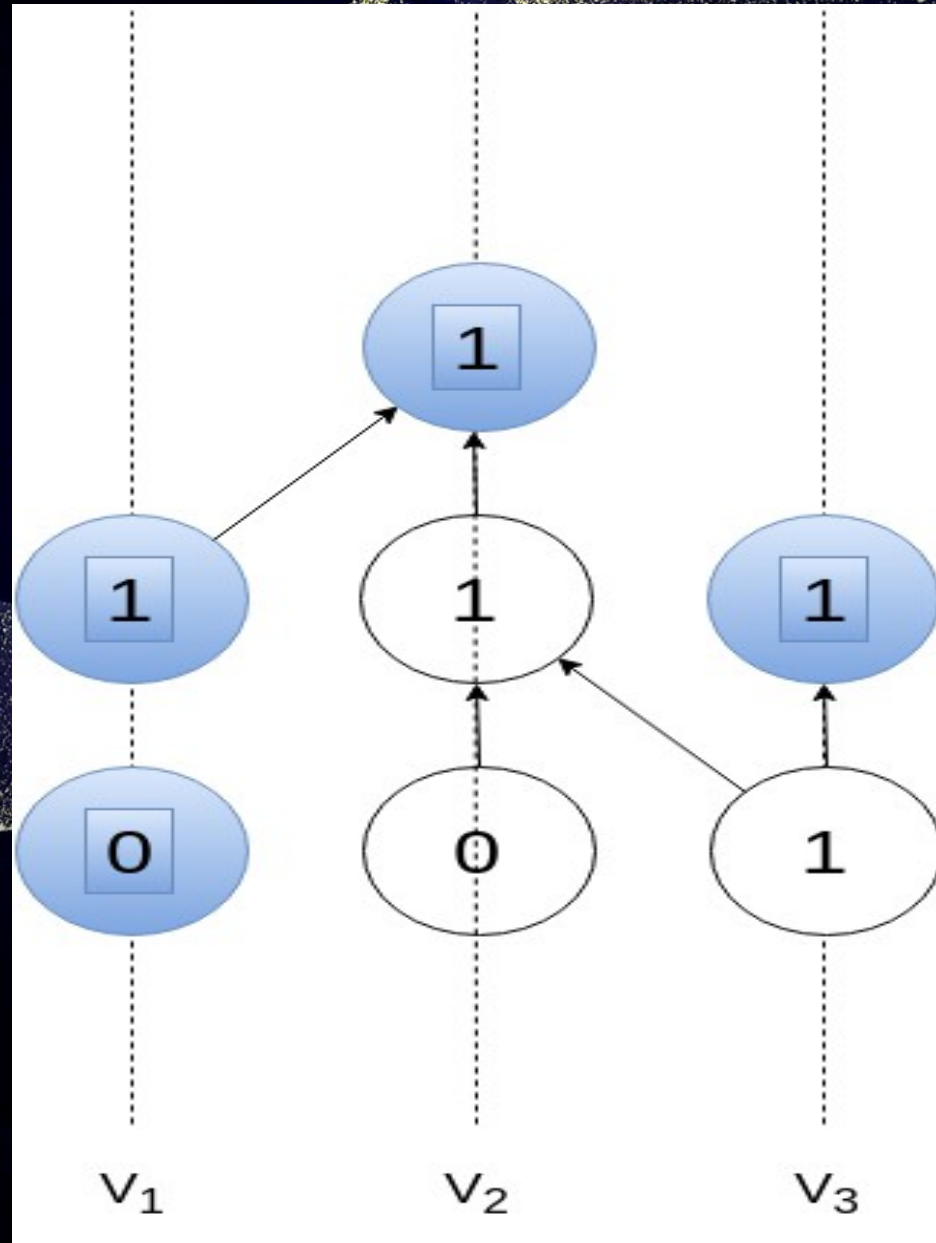


Definitions: Latest Bets

Bets are latest in a view...

**...if they are not in the
dependency of other bets
in that view!**

Definitions: Latest Bets



Definitions: Invalid* Bets

Bets are invalid* if

**their estimate is NOT the
“max-weight estimate”**

**in the estimates from latest bets
in view given by the bet's
justification (weighted by the
sender's weight)**

Definitions: Byzantine Validator

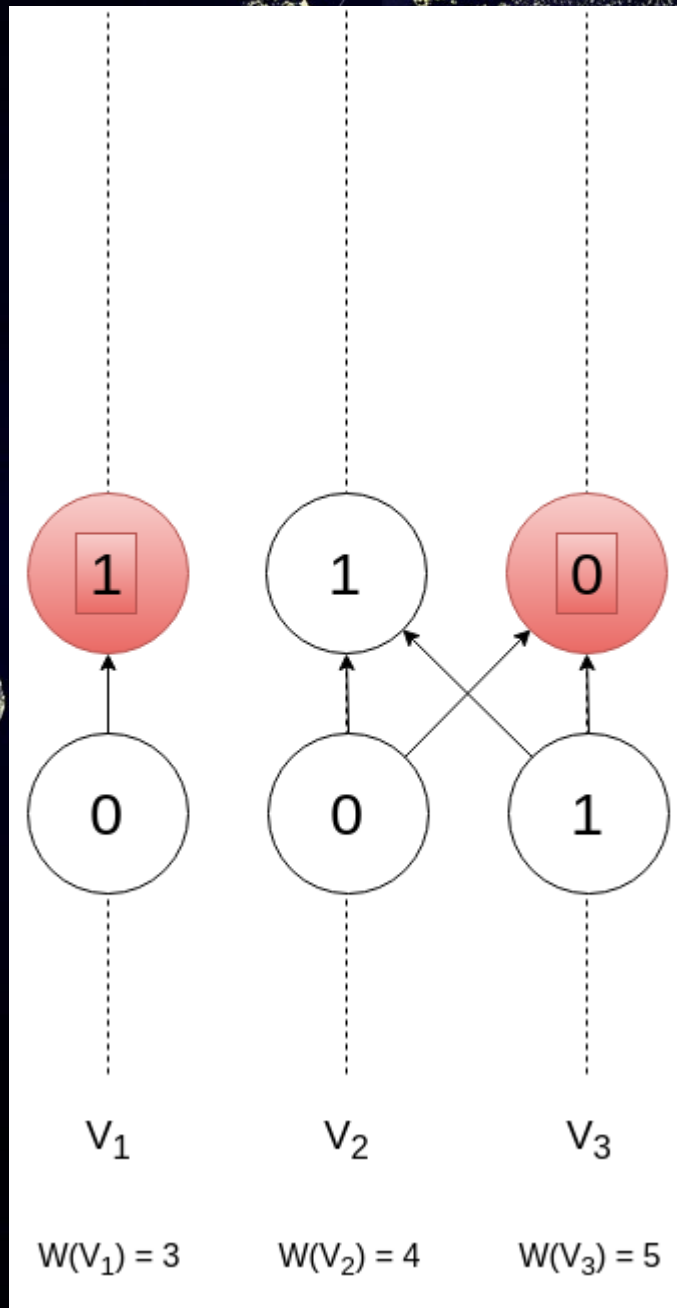
A validator is **Byzantine** in a view if in that view they:

- Produced an invalid* bet
- OR
- Equivocated

Definitions: Invalid Bets

Bets are invalid if
their estimate is the
“Byzantine-free
max-weight estimate”
in the latest bets in a view
given by the bet's
justification...

Definitions: Invalid Bets



Definitions:

Safety of Estimate

An estimate is safe in a view

in an asynchronous network

given a set of nodes marked

“Byzantine” if...

**it is the Byzantine-free max-weight
estimate**

Definitions: Safety of Estimate

... and there is no “possible future” of this view where only the nodes marked “Byzantine” are observed to be Byzantine that has a **different canonical estimate,**

Problem: Calculating safety.

Our definition is non-constructive

and the set of possible futures is large



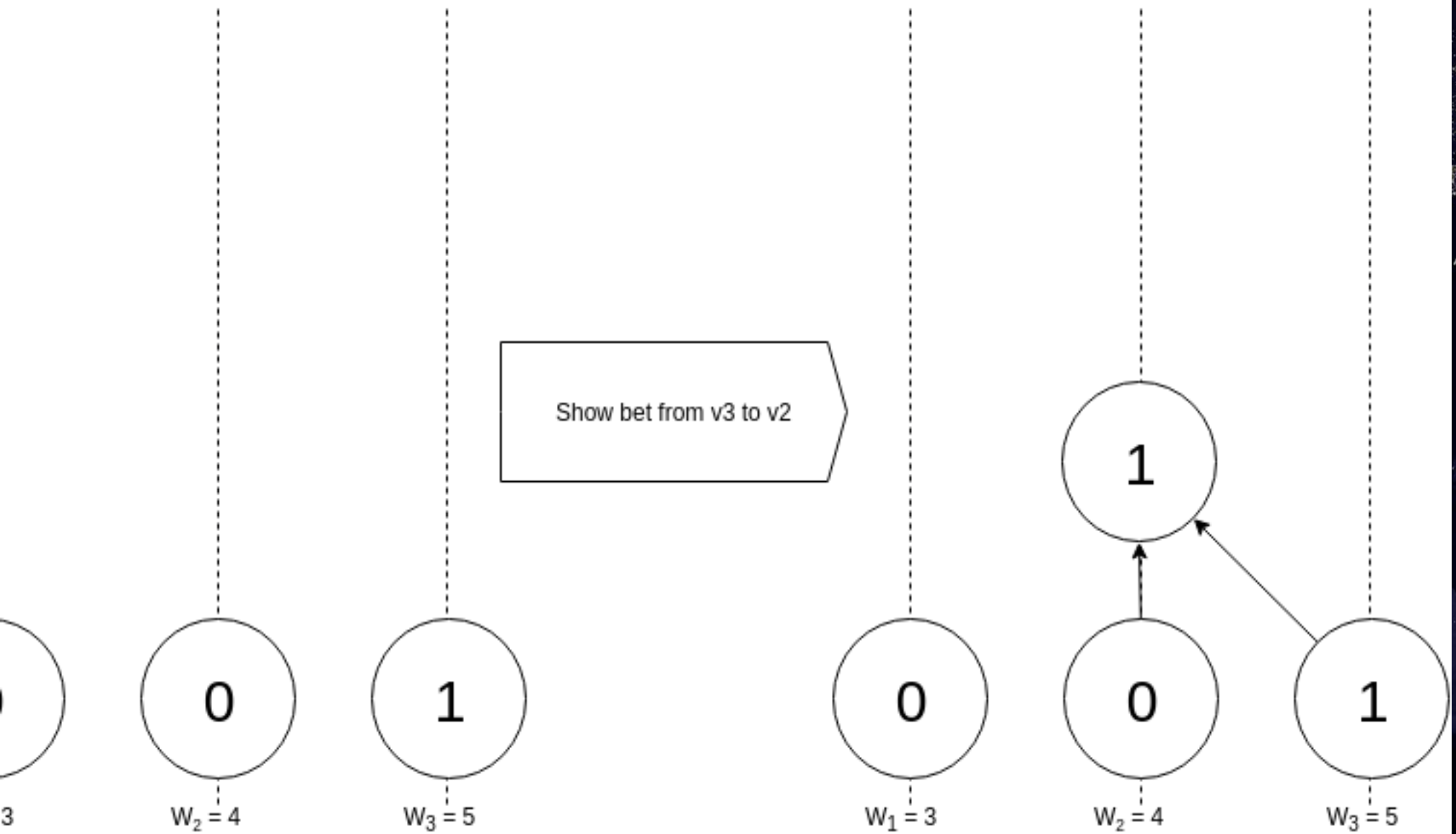
Problem: Calculating safety.

So we constructed an ideal adversary, which searches for a “possible future that changes the estimate”

by attacking the estimate in a view through the addition of new latest bets to that view

Canonical Estimate = 0

Canonical Estimate = 1



Problem: Side effects

When the attacker shows a bet b_1 from v_1 to v_2 ...

...they may introduce to v_2 's view a latest bet from $v_3 \neq v_1$

Solution: Ignore side effects

**Now the ideal attacker is
providing a lower bound on
safety**

if it fails to find an attack, we're safe

**if it succeeds, we might be safe but we
might not be safe**

A world map with a glowing network overlay, showing connections between various points. A large, semi-transparent blue diamond shape is centered over the map. The text is overlaid on the map in a bold, white, sans-serif font.

**Constructing the ideal
attacker for a network-only
attack (no equivocations)**

**- only add bets that don't
have the victim estimate**



**Constructing the ideal
attacker for a network-only
attack (no equivocations)**

**- only allow bets that don't
have the victim estimate to
cross the network**



**life-by-construction decision rule
for asynchronous networks**

**protocol-following validators
simulate the ideal attacker on
their estimate in their views..**



**life-by-construction decision rule
for asynchronous networks**

**... and if the ideal
attacker fails to produce
an attack, then they
decide on that estimate.**



**the ideal adversary for a network
attack with equivocation faults is
surprisingly similar.**

**She adds and shows only bets
who don't have the victim
estimate...**

**...but she is able to add bets in
new places” for Byzantine nodes
(unf. no time for more details!
Ask me later!)**





**Relation of this research to
traditional consensus research.**

FLP Impossibility:

**This protocol provides safety and
fault tolerance, but not liveness
in an asynchronous network**



The approach gives intuition on why FLP impossibility is a result.

An unsafe estimate cannot become safe in the presence of an ideal asynchronous network attack (which would trivially prevent progress from being made!)



**Safety, Liveness, and Byzantine
faults:**

**Our approach focused exclusively
on the ex-post measurement
safety of estimates in views.**

**We have done nothing to reason
about the liveness of the
protocol, at all.**

**Safety, Liveness, and Byzantine
faults:**

**There exist views where an
estimate is safe against
all-but-one nodes equivocating!**

This is very safe!

**safety, Liveness, and Byzantine
faults:**

**However, if all-but-one nodes are
Byzantine, then there is no way to
guarantee a transition to this
state from lack of safety!**

This is not live!

**Safety, Liveness, and Byzantine
faults:**

**Our approach provides an
interesting view into the safety of
Byzantine fault tolerant,
asynchronous consensus
protocols!**

We aim to extend this to liveness





Future Work

**Cover liveness with formal
reatment in the same model we
used to define *everything*.**

Future Work

**Construct a conservative
ideal equivocation attacker**

**One that equivocates with the
minimum weight required to conduct
a successful attack**



Future Work

love from consensus on a bit
to consensus on the EVM

Future Work

Add validator rotation





Future Work

Add the economic security mechanisms

So we can run Casper as a public consensus protocol

A world map with city lights, overlaid with a large, semi-transparent, downward-pointing arrow. The map is dark blue with yellow and white lights representing cities. The arrow is a large, hollow, downward-pointing chevron shape, also in a dark blue color with a slight gradient.

Future Work

**Complexity and performance
optimization**



Future Work

**improve theory, specification,
documentation and
implementation of the
correct-by-construction
Casper**

Complexity and performance



Thanks for listening!



<3 Vlad


```
ck unsuccessful...
Byzantine fault context: set([])
-----
```

```
}, 1), (1, {}, 0)}, 1)
```

```
ck successful...
Byzantine fault context: set([])
operations_log:
1), (1, {}, 0)}, 0)
1), (1, {}, 2), (0, {(0, {}, 1), (1, {}, 0)}, 0)}, 2)
-----
```

```
ck successful...
Byzantine fault context: set([1])
operations_log:
(0, {}, 1) for validator 0
1), (1, {}, 0)}, 0)
(0, {}, 1) for validator 2
1), (1, {}, 2), (0, {(0, {}, 1), (1, {}, 0)}, 0)}, 2)
-----
```

```
}, 2), (1, {}, 0)}, 0)
}, 2), (1, {}, 0)}, 2)
}, 2), (1, {}, 0)}, 1)
```

```
ck unsuccessful...
Byzantine fault context: set([2, 3])
aming/python/Casper$ █
```